

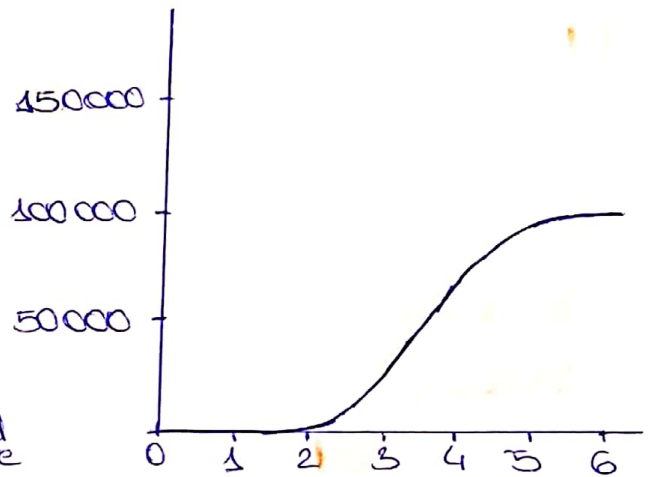
→ Match up each label with its graphic and interpret the variables "x" and "y" in each case. Deduce the reason for the choice of any of the numbers.

1- Number of rapidly dividing bacteria present in a food-limited environment starting from a small initial sample.

{ X-axis: time (days).
Y-axis: number of bacteria.

- H: $y(x) = \frac{100000}{10 + (100000 - 10)2^{-4x}}$

■ $\lim_{x \rightarrow \infty} y(x) = 100000 \rightarrow$ Horizontal asymptote
2 \Rightarrow b. partition. \downarrow
Maximum of bacteria.

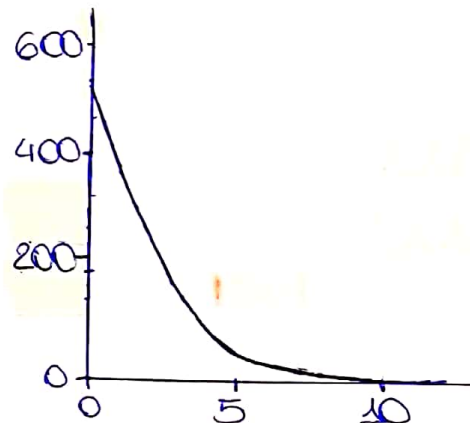


2- Concentration in the blood of a drug following an injection.

{ X-axis: time (hours).
Y-axis: drug's concentration in the blood.

- B: $y(x) = 500 \cdot 2^{-0.6667x}$

■ Initial concentration (cutting with y-axis)

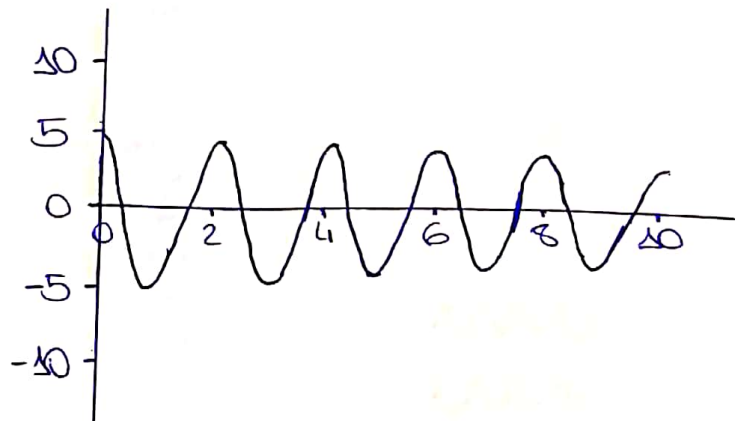


3- Angle of oscillation of a real pendulum of length 1m in air.

{ X-axis: time (seconds).
Y-axis: displacement's angle.

- E: $y(x) = 5 \cos(3.13x) e^{-0.05x}$

■ The angle oscillates at 5° .



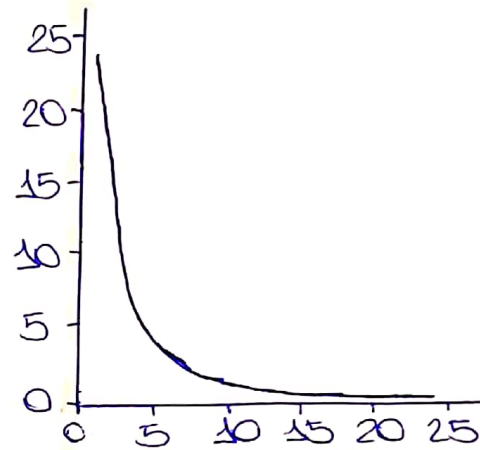
4 - Volume (litres) against pressure (atmospheres) for 1 mole of an ideal gas at 0°C.

X-axis: volume.

Y-axis: pressure.

- I: $y(x) \cdot x = 22.4133$

■ $PV = \text{constant}$ (Boyle's Law).



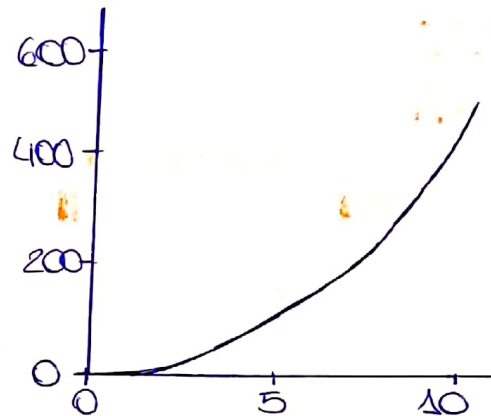
5 - Vertical distance travelled by a small, heavy ball dropped from a plane.

X-axis: time (seconds).

Y-axis: vertical distance.

- Δ: $y(x) = 4.9x^2$

■ $\frac{1}{2}g = 4.9 \text{ m/s}^2$ ($g = 9.8 \text{ m/s}^2$)



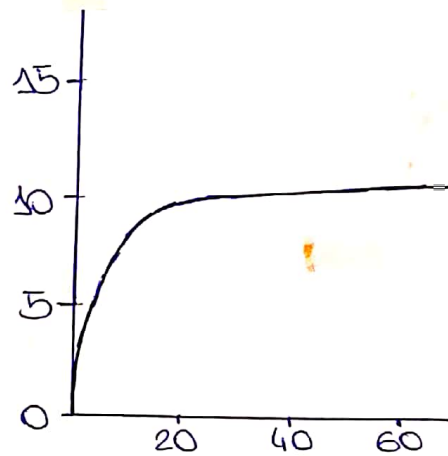
6 - Rate of a reaction of a catalysed reaction in terms of the concentration of the reagent.

X-axis: reaction's rate

Y-axis: reagent's concentration.

- F: $y(x) = \frac{11.3x}{2.1 + x}$

■ $\lim_{x \rightarrow \infty} y(x) = 11.3 \rightarrow$ Horizontal asymptote
 ↓
 Maximum of reagent.



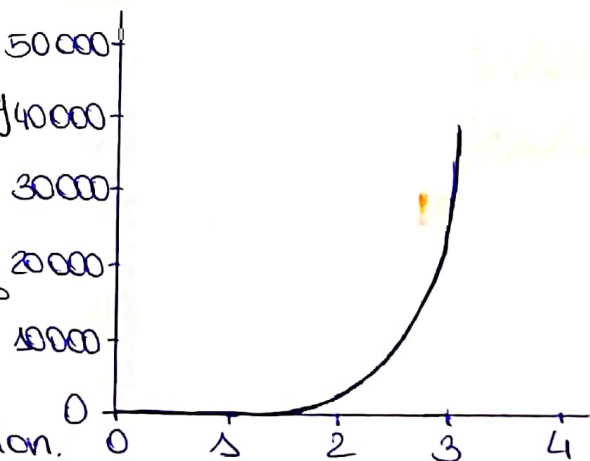
7 - Number of rapidly dividing bacteria present in a food-rich environment, starting from a small initial sample.

X-axis: time (days).

Y-axis: number of bacteria

- G: $y(x) = 10 \cdot 2^{4x}$

■ $y(0) = 10$ (initial sample); $2 \Rightarrow$ bipartition.

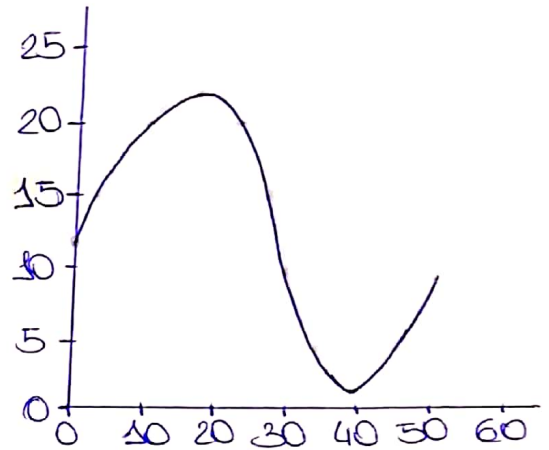


8 - Hours of daylight per day in a town in the far northern hemisphere.

{ X-axis: time (weeks).
 { Y-axis: daylight's hour per day.

- D: $y(x) = 12 + 10 \sin(0.121x)$

■ Initial daylight's (cutting with) hour per day (y-axis).



9 - Model of the distance of the Earth from the sun in astronomical units.

{ X-axis: time (days).
 { Y-axis: Earth's distance from the sun.

- C: $y(x) = 1 - 0.01671 \cos(0.0172x)$

■ Average Earth's distance from the sun in astronomical units.

